

THERMAL PROP OF MATTER

classmate

Date _____
Page _____

(I) TEMP. SCALES :

→ $\frac{T - T_{ice pt.}}{T_{steam pt} - T_{ice pt.}}$ = same for all scale
(u can put P/R in place of T for resistance)

→ $\frac{C - 0}{100 - 0} = \frac{K - 273}{373 - 273} = \frac{F - 32}{212 - 32}$

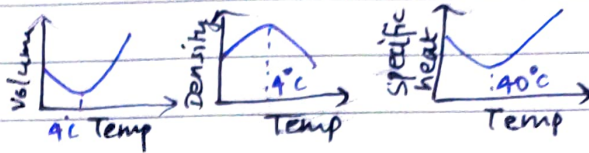
→ $K = C + 273$

$\frac{C}{5} = \frac{F - 32}{9}$

→ $\Delta T (in ^\circ C) = \Delta T (in K)$

$\Delta T (in ^\circ C) = \frac{5}{9} \Delta T (in F)$

anomalous behaviour of water : after when temp ↑ → Vol. first dec. then inc (4°C)



> coefficient of volume expansion for liq → temp independent (const)
for gas → depend on temp ($\gamma \propto \frac{1}{T}$)

$\gamma = \alpha_v = \frac{dV}{V}$

we know for ideal gas $\frac{\Delta V}{V} = \frac{\Delta T}{T} \Rightarrow \alpha_v = \frac{1}{T}$

(III) CALORIMETRY

THERMAL EXPANSION IN SOLID

As temp ↑, distance b/w any two points on solid always incs.

Linear expansion :

→ $\Delta L = \alpha L_0 \Delta T$ ($L' = L + \Delta L$)

α → coefficient of linear expansion
unit = $K^{-1}, ^\circ C^{-1}$

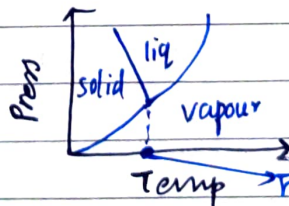
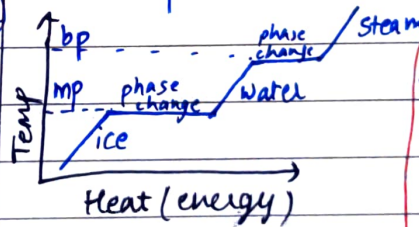
→ Temp ↑ ⇒ length ↑
∴ pendulum ka time period ↑
∴ strain ($\frac{\Delta l}{l}$) produced

(F) Thermal stress = $\gamma \propto \Delta T$

$Q = mc \Delta T$

Heat (absorbed/released) → specific heat capacity

state change at const temp min heat $Q = mL$



SHC water = 1 cal/g°C
= 4.2 J/g°C
= 4200 J/kg°C
ice = 1/2 cal/g°C

latent heat :

- fusion/melting = 80 cal/g = 335 J/g
- vaporisation/steam = 540 cal/g = 225 J/g

Triple point of water = 0.01°C

• Area expansion $\Delta A = \beta A_0 \Delta T$
 $\beta = 2\alpha$ (inc) coeff. of areal expansion

• Volume expansion $\Delta V = \gamma V_0 \Delta T$
 $\gamma = 3\alpha$ or $\Delta \rho = \gamma \rho_0 \Delta T$ (dec)

const only at high temp.

(IV) HEAT TRANSFER

Modes of heat transfer :

- 1) Conductⁿ → molecule vibrate → transfer heat.
- 2) Convectⁿ → Fluid layer niche se upar
- 3) Radiatⁿ → EMW → no medium.

Rate of heat transfer / Heat current (H)

$$H = \frac{KA\Delta T}{l}$$

Amount of heat transferred

$$Q = HT$$

Thermal resistance $R_{th} = \frac{l}{KA}$

$$\Delta V \approx \Delta T$$

Series: ($R_e H = \Delta T$)

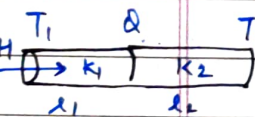
$$H_1 = H_2 = H \quad (\text{current same})$$

$$R_e = R_1 + R_2 \quad (R \text{ ka ulta})$$

$$\Rightarrow \frac{l_1 + l_2}{K_e} = \frac{l_1}{K_1} + \frac{l_2}{K_2} \quad (\text{Area same})$$

If $l_1 = l_2 = l$

$$\Rightarrow K_e = \frac{2K_1 K_2}{K_1 + K_2}$$



Junctⁿ temp $\frac{T_1 - 0}{R_1} = \frac{0 - T_2}{R_2}$

Parallel

$$H = H_1 + H_2 \quad \frac{1}{K_e} = \frac{1}{K_1} + \frac{1}{K_2}$$

$$R \propto \frac{l}{KA} \Rightarrow K_e (A_1 + A_2) = K_1 A_1 + K_2 A_2$$

If A same $\Rightarrow K_e = \frac{K_1 + K_2}{2}$

RADIATION.

- All body emit as well as absorb radiatⁿ at all temp.
- Amount of emission / absorbtⁿ depend on temp & material.

Kirchhof → good emitter are good absorber
law

Emission Power (E): Heat radiatⁿ emitted per unit area^{of body} per unit time

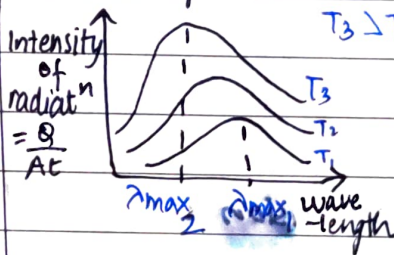
$$E = \frac{Q}{At}$$

depend on temp, wavelength of radiatⁿ

Absorbtive power (a) = $\frac{\text{Heat absorbed}}{\text{Heat incident}}$
unitless.

Black body → Kisi bhi wavelength ki radiatⁿ ko absorb kr leti h at any temp.
→ No one can emit radiatⁿ more than black body at that given temp.

Wien displacement law: → Black body



As temp ↑ radiatⁿ ↑ ⇒ Area ↑ under graph

$$\lambda_{max} \propto \frac{1}{T} \quad (\text{in kelvin})$$

$$\lambda_{max} T = b$$

Wien's const

$$b = 2.8 \times 10^3 \text{ mK} \approx 3 \times 10^3$$

wavelength of radiatⁿ which has max. intensity / emissive power

Stefan's boltzman law

$$\text{Intensity of Radiat}^n \left(\frac{Q}{AE} \right) \propto T^4 \propto \frac{1}{\lambda_{\max}^4}$$

$$\text{Rate of radiat}^n \text{ (Power)} \left(\frac{Q}{t} \right)$$

$$I = \sigma T^4$$

$$Q = \sigma A T^4 t$$

$$P = \sigma A T^4 \Rightarrow P = \sigma A \frac{b^4}{\lambda_m^4}$$

for body not black body $P = e \sigma A T^4$

$$\therefore e < 1 \Rightarrow P_{\text{black body}} > P_{\text{other}}$$

Stefan's const $\sigma = 6 \times 10^{-8} \text{ W/m}^2 \text{K}^4$

When surrounding temp is given

$$\text{Power radiated} = \sigma A T^4 \quad (\text{T}) T_0$$

$$\text{Power absorbed} = \sigma A T_0^4$$

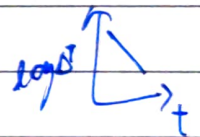
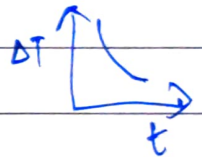
$$\therefore \text{Net power radiated} = \sigma A (T^4 - T_0^4)$$

Newton's law of cooling:

Rate of cooling $\propto \Delta T$ temp b/w body & surrounding

$$\frac{dT}{dt} = k (T - T_0)$$

$$\frac{T_1 - T_2}{t} = k \left[\frac{T_1 + T_2}{2} - T_0 \right]$$



Rate of cooling decreases with time.